## Accumulating A Million Dollars

How long does it take to accumulate $\$ 1,000,000$ ?
The answer depends on three things.

- How many years are available to accumulate the fund,
- The after-tax rate of return, and
- The method of contribution: One lump sum, or monthly contributions.

The table below shows how long it takes to accumulate \$1,000,000 under varying circumstances. The results shown are hypothetical. ${ }^{1}$ The actual growth will depend on a number of factors.

Annual Rate of Return (after taxes)

| Years | Annual Rate:$2.00 \%^{2}$ |  | Annual Rate:$4.00 \%^{2}$ |  | Annual Rate:$6.00 \%{ }^{2}$ |  | Annual Rate:$8.00 \%{ }^{2}$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Lump Sum | Monthly | Lump <br> Sum | Monthly | Lump Sum | Monthly | Lump Sum | Monthly |
| 5 | \$904,913 | \$15,861 | \$819,003 | \$15,083 | \$741,372 | \$14,333 | \$671,210 | \$13,610 |
| 10 | 818,867 | 7,535 | 670,766 | 6,791 | 549,633 | 6,102 | 450,523 | 5,466 |
| 15 | 741,003 | 4,768 | 549,360 | 4,064 | 407,482 | 3,439 | 302,396 | 2,890 |
| 20 | 670,543 | 3,392 | 449,927 | 2,726 | 302,096 | 2,164 | 202,971 | 1,698 |
| 25 | 606,783 | 2,572 | 368,492 | 1,945 | 223,966 | 1,443 | 136,237 | 1,051 |
| 30 | 549,086 | 2,030 | 301,796 | 1,441 | 166,042 | 996 | 91,443 | 671 |
| 35 | 496,875 | 1,646 | 247,172 | 1,094 | 123,099 | 702 | 61,378 | 436 |
| 40 | 449,628 | 1,362 | 202,434 | 846 | 91,262 | 502 | 41,197 | 286 |

Example: If you contribute $\$ 2,164$ per month to an investment which returns $6 \%$ after taxes, you should accumulate $\$ 1,000,000$ in 20 years. Likewise, if you currently have $\$ 302,096$ invested at $6 \%$ (after-tax) for 20 years, it will grow to $\$ 1,000,000$ without any additional contribution.

Values shown in this presentation are hypothetical and not a promise of future performance.

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[^0]:    ${ }^{1}$ The calculations shown assume monthly compounding. Monthly contribution amounts are calculated on an end-of-month (ordinary-annuity) basis.
    ${ }^{2}$ Seeking a higher rate of return generally involves a greater degree of volatility and risk.

